

Tools for Comparing Expressions

Maple 2025 provides innovative new tools for comparing expressions.

ExpressionTools

- Have you ever tried to compare two large expressions but you couldn't easily see how they differed? For example:

```
> e1 := 1/4*(2*T[x,j,g]*T[i,c,k]-2*T[x,j,c]*T[i,g,k]-2*d[j](T[x,c,i],[X])+2*d[x](T[c,j,i],[X]))*g_[a,b]+1/4*(T[a,x,b]+T[b,x,a])*T[c,j,i]-1/4*T[b,x,j]*T[c,a,i]-1/2*T[x,j,a]*T[i,b,c]+1/2*T[x,a,b]*T[j,c,i]-1/4*T[a,x,j]*T[c,b,i]+1/4*d[x](T[a,b,c],[X])+1/4*d[x](T[b,a,c],[X])-1/2*d[x](T[c,a,b],[X])-1/4*d[a](T[b,x,c],[X])+1/2*d[b](T[x,a,c],[X])-1/4*d[b](T[a,x,c],[X]);
```

$$e1 := \frac{\left(2 T_{x,j,g} T_{i,c,k} - 2 T_{x,j,c} T_{i,g,k} - 2 d_j(T_{x,c,i}[X]) + 2 d_x(T_{c,j,i}[X])\right) g_{-a,b}}{4} + \frac{\left(T_{a,x,b} + T_{b,x,a}\right) T_{c,j,i}}{4} - \frac{T_{b,x,j} T_{c,a,i}}{4} - \frac{T_{x,j,a} T_{i,b,c}}{2} + \frac{T_{x,a,b} T_{j,c,i}}{2} - \frac{T_{a,x,j} T_{c,b,i}}{4} + \frac{d_x(T_{a,b,c}[X])}{4} + \frac{d_x(T_{b,a,c}[X])}{4} - \frac{d_x(T_{c,a,b}[X])}{2} - \frac{d_a(T_{b,x,c}[X])}{4} + \frac{d_b(T_{x,a,c}[X])}{2} - \frac{d_b(T_{a,x,c}[X])}{4}$$

```
> e2 := 1/4*(2*T[x,j,g]*T[i,c,k]-2*T[x,j,c]*T[i,g,k]+2*d[j](T[i,x,c],[X])-2*d[x](T[j,c,i],[X]))*g_[a,b]+1/4*(T[a,x,b]+T[b,x,a])*T[c,j,i]-1/4*T[b,x,j]*T[c,a,i]-1/2*T[x,j,a]*T[i,b,c]+1/2*T[x,a,b]*T[j,c,i]-1/4*T[a,x,j]*T[c,b,i]+1/4*d[x](T[a,b,c],[X])+1/4*d[x](T[b,a,c],[X])-1/2*d[x](T[c,a,b],[X])-1/4*d[a](T[b,x,c],[X])+1/2*d[b](T[x,a,c],[X])-1/4*d[b](T[a,x,c],[X]);
```

$$e2 := \frac{\left(2 T_{x,j,g} T_{i,c,k} - 2 T_{x,j,c} T_{i,g,k} + 2 d_j(T_{i,x,c}[X]) - 2 d_x(T_{j,c,i}[X])\right) g_{-a,b}}{4} + \frac{\left(T_{a,x,b} + T_{b,x,a}\right) T_{c,j,i}}{4} - \frac{T_{b,x,j} T_{c,a,i}}{4} - \frac{T_{x,j,a} T_{i,b,c}}{2} + \frac{T_{x,a,b} T_{j,c,i}}{2} - \frac{T_{a,x,j} T_{c,b,i}}{4} + \frac{d_x(T_{a,b,c}[X])}{4} + \frac{d_x(T_{b,a,c}[X])}{4} - \frac{d_x(T_{c,a,b}[X])}{2} - \frac{d_a(T_{b,x,c}[X])}{4}$$

$$+ \frac{d_b(T_{x,a,c}[X])}{2} - \frac{d_b(T_{a,x,c}[X])}{4}$$

> evalb(e1=e2);

false

- The new package [ExpressionTools](#) permits you to perform a visual comparison of two expressions.
- The main command in this package is [Compare](#), which, given two expressions, compares them and highlights their differences:

> with(ExpressionTools);

[Compare, Options]

> Compare(e1, e2);

$$\frac{\left(2 T_{x,j,g} T_{i,c,k} - 2 T_{x,j,c} T_{i,g,k} - 2 d \left(\begin{matrix} j \\ x \end{matrix} \right) \left(T \left(\begin{matrix} x \\ j \end{matrix} \right), [X] \right) + 2 d \left(\begin{matrix} x \\ j \end{matrix} \right) \left(T \left(\begin{matrix} c \\ i \end{matrix} \right), \left(\begin{matrix} j \\ x \end{matrix} \right), \left(\begin{matrix} i \\ c \end{matrix} \right), [X] \right) \right) g_{-a,b}}{4}$$

$$+ \frac{(T_{a,x,b} + T_{b,x,a}) T_{c,j,i}}{4} - \frac{T_{b,x,j} T_{c,a,i}}{4} - \frac{T_{x,j,a} T_{i,b,c}}{2} + \frac{T_{x,a,b} T_{j,c,i}}{2} - \frac{T_{a,x,j} T_{c,b,i}}{4}$$

$$+ \frac{d_x(T_{a,b,c}[X])}{4} + \frac{d_x(T_{b,a,c}[X])}{4} - \frac{d_x(T_{c,a,b}[X])}{2} - \frac{d_a(T_{b,x,c}[X])}{4}$$

$$+ \frac{d_b(T_{x,a,c}[X])}{2} - \frac{d_b(T_{a,x,c}[X])}{4}$$

In the above example, the two expressions are combined into one. Differing subexpressions are replaced by a vector containing the two corresponding subexpressions, each highlighted in a different color to indicate which of the original expressions it was a part of.

- For smaller expressions (both having **length** less than 250, an adjustable parameter), the two expressions are printed one after the other, and the differences are simply highlighted by changing their colors:

> x1 := (a-b)*(A-B)*c;

x1 := (a - b) (A - B) c

> x2 := (b-a)*(B-A)*C;

x2 := (b - a) (B - A) C

> Compare(x1, x2);

$$\begin{aligned} & (a + -1 b) (A + -1 B) c \\ & (b + -1 a) (B + -1 A) C \end{aligned}$$

- If a [verification](#) is provided as an option, the comparison ignores any differences it can find that satisfy that verification:

> Compare(x1, x2, sign);

$$\begin{aligned} & (a - b) (A - B) c \\ & (b - a) (B - A) C \end{aligned}$$

- For sums, products, and sets, operands are compared according to the best match, even when none of the top-level subexpressions match exactly:

> x3, x4 := a/2+b/3+c/4, c/5+b/6+d/7:

> Compare(x3, x4, combine);

$$\begin{pmatrix} \frac{a}{2} \\ \frac{d}{7} \end{pmatrix} + \begin{pmatrix} \frac{1}{3} \\ \frac{1}{6} \end{pmatrix} b + \begin{pmatrix} \frac{1}{4} \\ \frac{1}{5} \end{pmatrix} c$$

Note in the above that we used the combine option, which forces display in combined format even though the expressions were small.

- Here's a larger example, showing the use of some other options to control the display:

> x3 := Vector(2,[w(x), z(x)]) = Vector(2,[1/15*exp(-x)*(-15*c__1+3) +1/15*(10*c__2+2)*exp(4*x)-1/3*exp(x), 1/5*exp(-x)*(-1+5*c__1) +1/5*exp(4*x)*(1+5*c__2)]);

$$x3 := \begin{bmatrix} w(x) \\ z(x) \end{bmatrix} = \begin{bmatrix} \frac{e^{-x}(-15c_1 + 3)}{15} + \frac{(10c_2 + 2)e^{4x}}{15} - \frac{e^x}{3} \\ \frac{e^{-x}(-1 + 5c_1)}{5} + \frac{e^{4x}(1 + 5c_2)}{5} \end{bmatrix}$$

> x4 := Vector(2,[w(x), z(x)]) = Vector(2, [1/15*exp(-x)*(-15*_C1+3) +1/15*(10*_C2+2)*exp(4*x)-1/3*exp(x), 1/5*exp(-x)*((1+5*_C2)*exp(5*x)-1+5*_C1)]);

$$x4 := \begin{bmatrix} w(x) \\ z(x) \end{bmatrix} = \begin{bmatrix} \frac{e^{-x}(-15_C1 + 3)}{15} + \frac{(10_C2 + 2)e^{4x}}{15} - \frac{e^x}{3} \\ \frac{e^{-x}((1 + 5_C2)e^{5x} - 1 + 5_C1)}{5} \end{bmatrix}$$

> Compare(x3, x4, Silver, Gold, showvectorbrackets=false, showNULLoperands);

$$\begin{bmatrix} w(x) \\ z(x) \end{bmatrix} = \begin{bmatrix} \frac{e^{-x} \left(-15 \frac{c_1}{_C1} + 3 \right)}{15} + \frac{\left(10 \frac{c_2}{_C2} + 2 \right) e^{4x}}{15} - \frac{e^x}{3} \\ \frac{e^{-x} \left(-1 + 5 \frac{c_1}{_C1} \right)}{5} + \frac{e^{-1x} \left(\left(1 + 5 \frac{c_2}{_C2} \right) e^{5x} + 5 \frac{c_2}{_C1} + -1 \right)}{5} \end{bmatrix}$$

- Compare uses the `uneval` parameter modifier, which means it does not evaluate its arguments before comparing them:

> x5 := 'hypergeom'([a,b],[c],x);

x5 := hypergeom([a, b], [c], x)

> x6 := 'hypergeom'([b,a],[c],x);

x6 := hypergeom([b, a], [c], x)

> evalb(x5=x6);

true

> Compare(x5, x6);

hypergeom([a, b], [c], x)

hypergeom([b, a], [c], x)

- Note, however, that this could lead to unexpected results:

```
> Compare(x1, subs(C=c, x2), combine, sign);
```

$$\left(\begin{array}{l} (a - b)(A - B)c \\ \text{subs}(C = c, x2) \end{array} \right)$$

- So be sure to evaluate results if desired before passing them to **Compare**:

```
> x3 := subs(C=c, x2);
```

$$x3 := (b - a)(B - A)c$$

```
> Compare(x1, x3, combine, sign);
```

The expressions satisfy the given verification

Or alternatively you can use the evaluate option to force evaluation:

```
> Compare(x5, x6, evaluate);
```

The expressions are the same

```
> Compare(x1, subs(C=c, x2), sign, evaluate);
```

The expressions satisfy the given verification

- A secondary **ExpressionTools** command called **Options** allows you to query and set the default values for each option available to the **Compare** command:

```
> Options();
```

backgroundcolor : [LightGreen, Pink]

combine : default

combinethreshold : 250

evaluate : false

foregroundcolor : [Green, Red]

highlight : default

showNULLoperands : false

showvectorbrackets : true

verification : boolean

```
> x1 := (2*a-3*b)*(A-B)*c:
```

```
> x2 := (3*b-2*a)*(B-A)*C:
```

```
> Compare(x1, x2);
```

$$(2a + -3b)(A + -1B)c$$

$$(3b + -2a)(B + -1A)C$$

```
> Options(combine, highlight, backgroundcolor);
```

combine : default

highlight : default

backgroundcolor : [LightGreen, Pink]

```
> Options(combine=true, highlight=background, backgroundcolor =  
[Yellow, Orange]);
```

combine : true

highlight : background

backgroundcolor : [Yellow, Orange]

```
> Compare(x1, x2);
```

$$\left(\left(\begin{array}{c} 2 \\ -2 \end{array} \right) a + \left(\begin{array}{c} -3 \\ 3 \end{array} \right) b \right) \left((-1) A + (-1) B \right) \left(\begin{array}{c} c \\ C \end{array} \right)$$